



Tests and Proofs for Code Generators

Prahlad Sampath

Joint work with

A C Rajeev, K C Shashidhar (MPI), S Ramesh

General Motors



Code Generator



- ◉ Code generators are tools that take as input “models” in a modelling language and output various artifacts:
 - Code
 - Other models (one man’s model is another man’s code)

- ◉ Examples of code-generators
 - Rhapsody code-generator
 - Matlab/Stateflow simulator
 - Lex/Yacc
 - Query optimizers
 - ...



Why Code Generators



- ◉ More and more complex systems
- ◉ Difficult to program, and error-prone
- ◉ Avoid reinventing the wheel
 - Design-patterns that are well understood
 - Solutions that can be tuned
- ◉ Split up the verification process
 - Verify models, where domain specific abstractions can effectively simplify verification process.
 - Verify the code-generator – low level implementation details need to be considered only in this step
- ◉ Code-generators are the new compilers!



Verification of Code-Generators



- Approaches for verifying generated software:
 - Just ship the product!
 - Test the code
 - Model based testing
 - Test the equivalence of the “golden” model and the generated code
 - Equivalence checking for each run
 - Prove the equivalence of the model and the generated code
 - Testing using Automatic Test-case Generation
 - Generate test-cases for the code-generator
 - Formal verification
 - Prove the correctness of the code-generator
 - Does not scale to industrial tools (yet!)



The Tradeoffs



- ◉ White-box vs. Black-box
- ◉ One-off vs. Each-run
- ◉ Certification vs. Proof
- ◉ Other issues
 - Push-button vs. interactive
 - Portable / Reusable artifacts (eg. Test suites)
 - Tuneable



The difference



- Proving a code generator

$\forall m:\text{models}, \forall i:\text{inputs}:$

$$\text{ModelExec}(m, i) \approx \text{CodeExec}(\text{CodeGen}(m), i)$$

- Testing a code generator

Formany $m:\text{models}$, Formany $i:\text{inputs}$:

$$\text{ModelExec}(m, i) \approx \text{CodeExec}(\text{CodeGen}(m), i)$$

- Translation validation : fix a model m

$\forall i:\text{inputs}: \text{ModelExec}(m, i) \approx \text{CodeExec}(\text{CodeGen}(m), i)$



Testing Code Generators



⦿ Syntax based

- Generate models that cover syntactic elements
- Generate Code
- Perform model-based testing
 - Generate a large test-suite that achieves various coverage criteria over the model elements

⦿ Issues

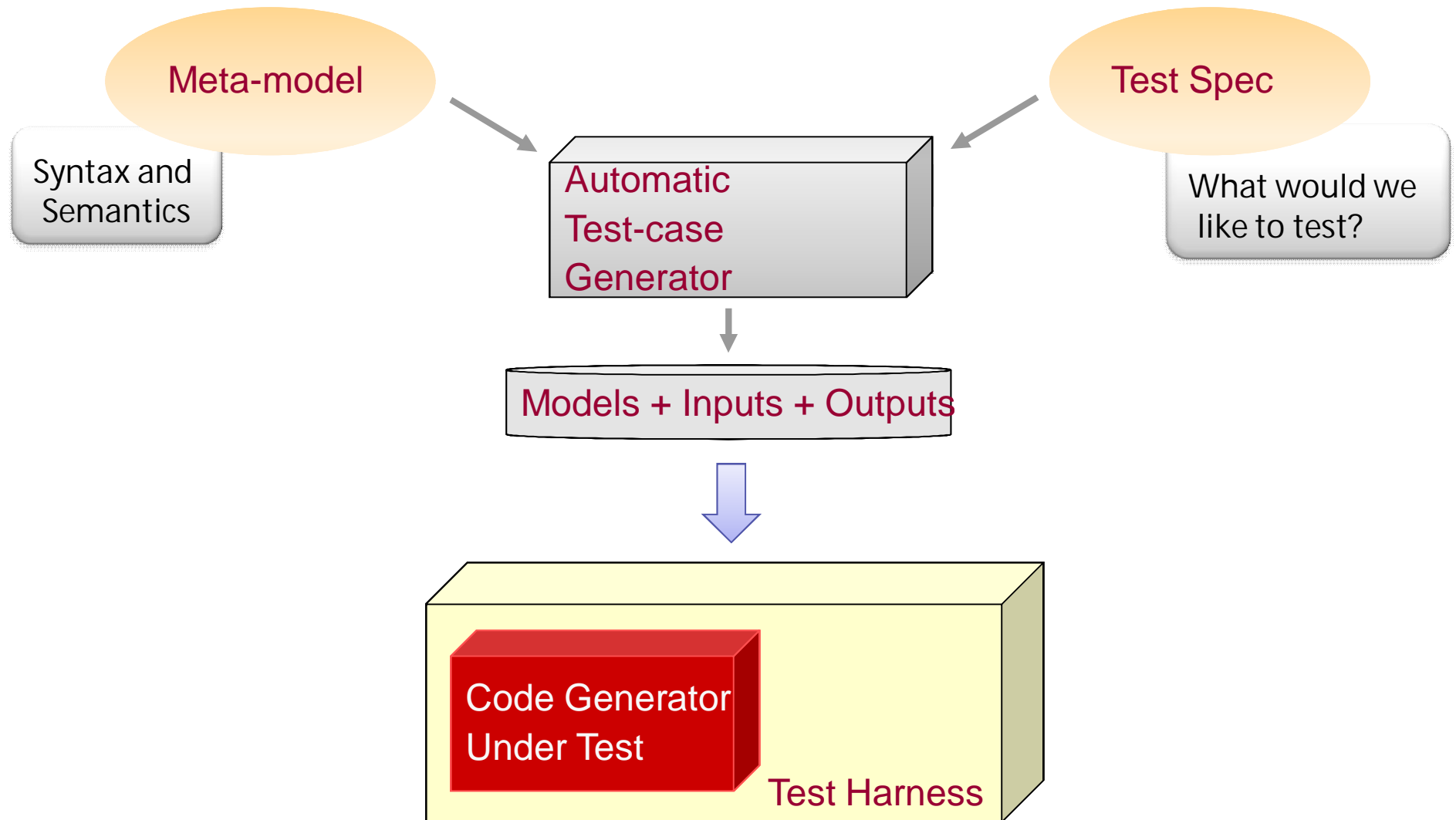
- Very large test-suites.
- Difficult to avoid “duplicates”
- Models that are syntactically very different may be very similar semantically.

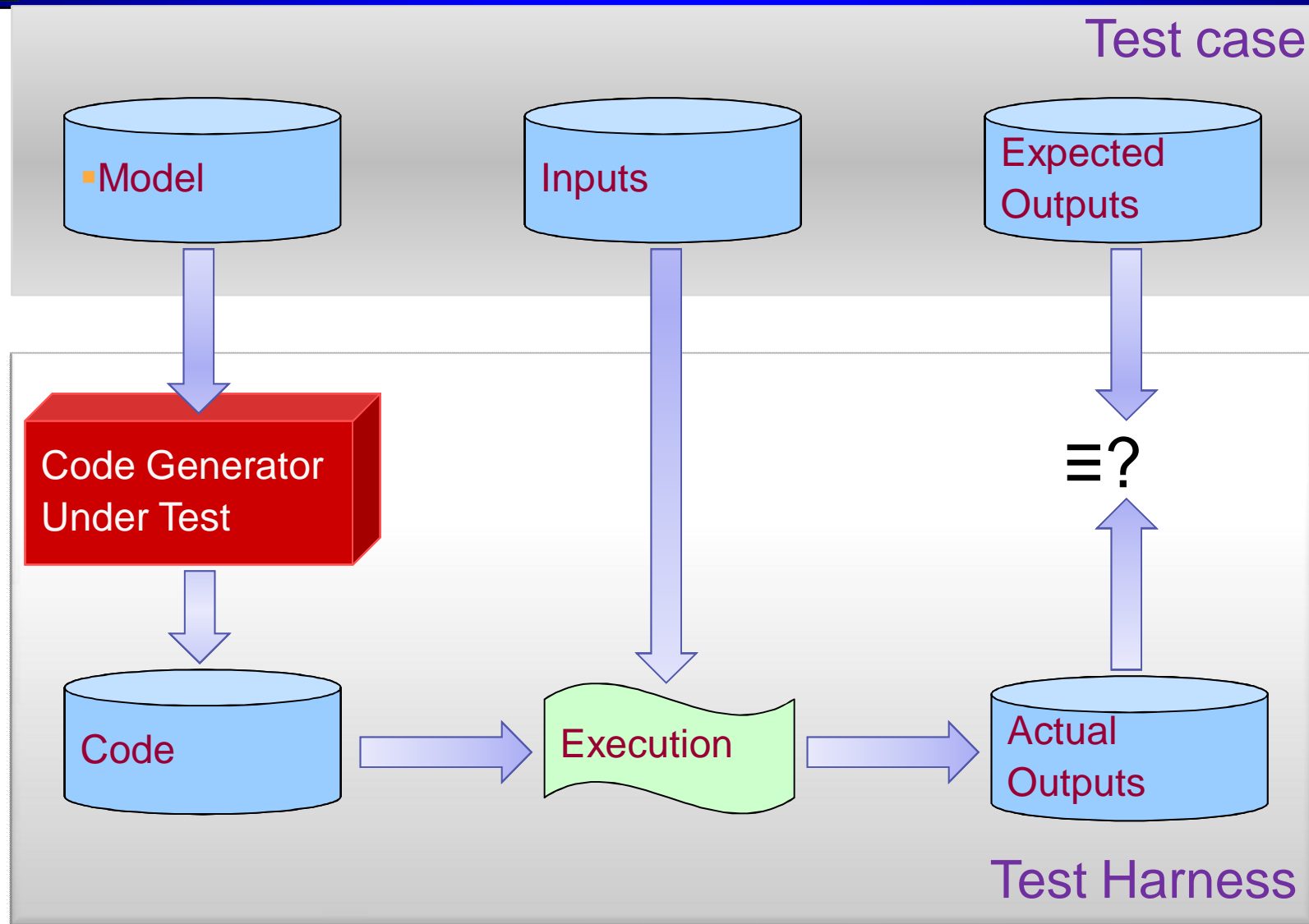


Testing Code Generators



- ◉ Semantics based
 - Is the semantics of the generated code the same as the semantics of the model?
 - Identify coverage over semantics
 - For each semantic behaviour
 - Generate model+Input that will exhibit this behaviour
 - Generate expected output for this model+input







Coverage of Semantics



- Represent semantics as “inference-rules”
- Achieve coverage of rules in “proofs”
- Proof-rules for Hoare logic

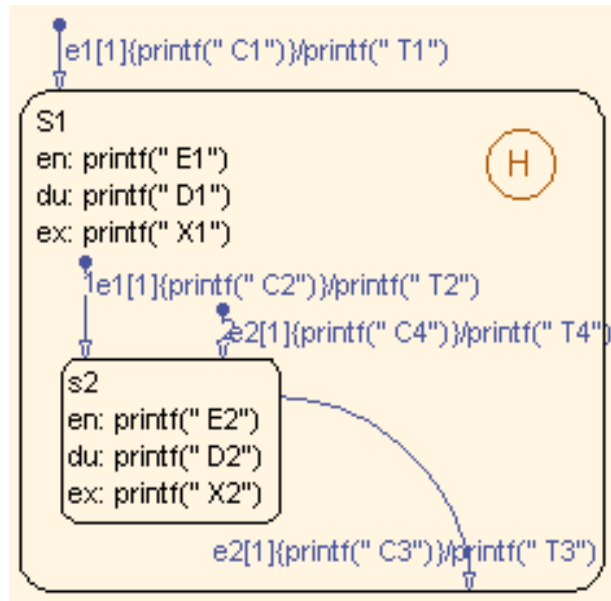


Coverage of Semantics



- Generate inference trees from rules that achieve coverage of rules
- Generate model+input that would give exhibit behaviour in inference tree
 - Reverse semantics!
- Generate expected output for given model+input
- Bundle the three into a test-case

○ Inference rules for Stateflow:

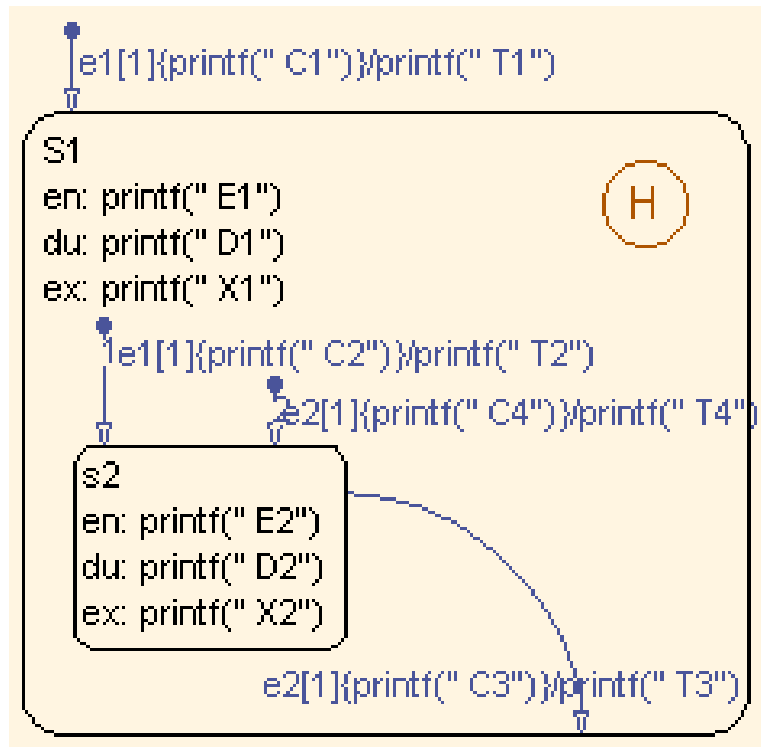


- Entering an atomic state s by a transition

$$\frac{\{P\} \text{ entryAct}(s) \{Q \triangleright \Psi'\}}{(\Psi \triangleleft P) \tau \Rightarrow \square s (Q \triangleright \Psi')} \text{ (Atom-E)}$$

- Entering an OR state by a transition, and its child state by default transition

$$\frac{\{P\} \text{ entryAct}(s) \{P_0 \triangleright \Psi_0\} \quad (\Psi \triangleleft P_0) \models_s T_d (P_1 \triangleright \Psi_1) \quad (\Psi \triangleleft P_1) \Rightarrow \square s_1 (Q \triangleright \Psi_2)}{(\Psi \triangleleft P) \tau \Rightarrow \square s (Q \triangleright \cup_{k=0}^2 \Psi_k)} \text{ (OR-dE-E)}$$



- Input events: e1, e2
- Expected actions: $\langle C1\ T1\ E1\ C2\ T2\ E2\ D1\ C3\ X2\ T3\ E2 \rangle$

V6.2.1: $\langle C1\ T1\ E1\ C2\ T2\ E2\ D1\ C3\ X2\ T3\ C4\ T4\ E2 \rangle$



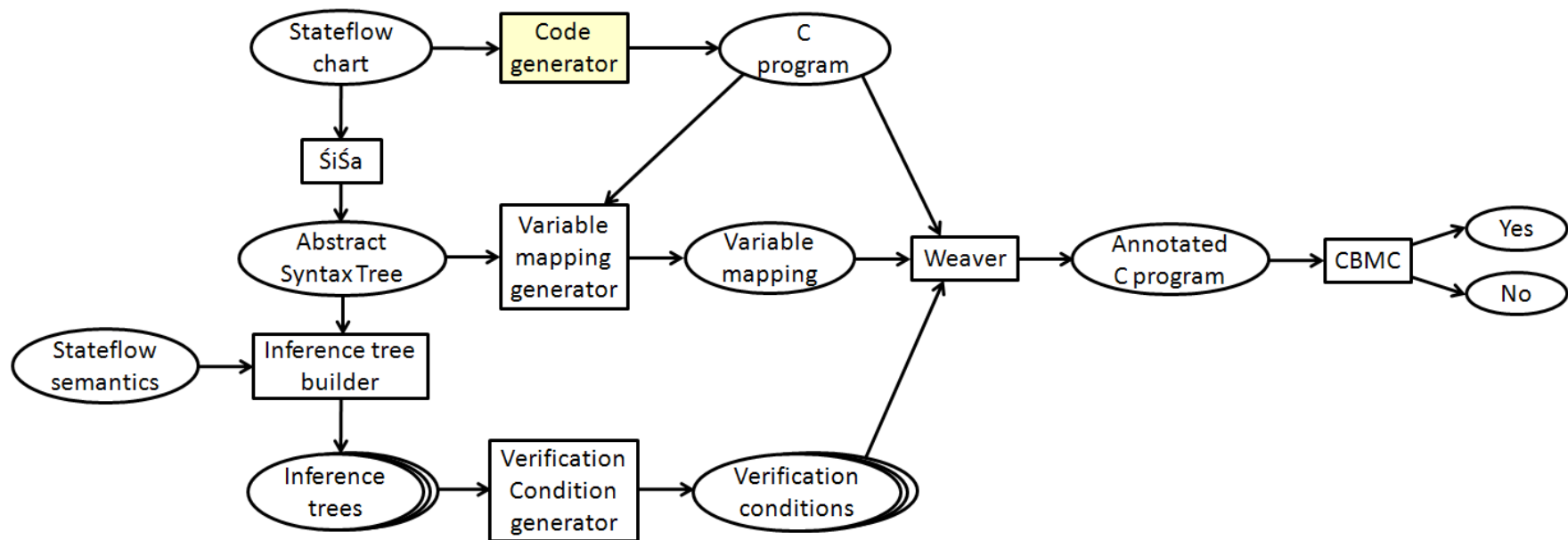
Proofs for Code Generators

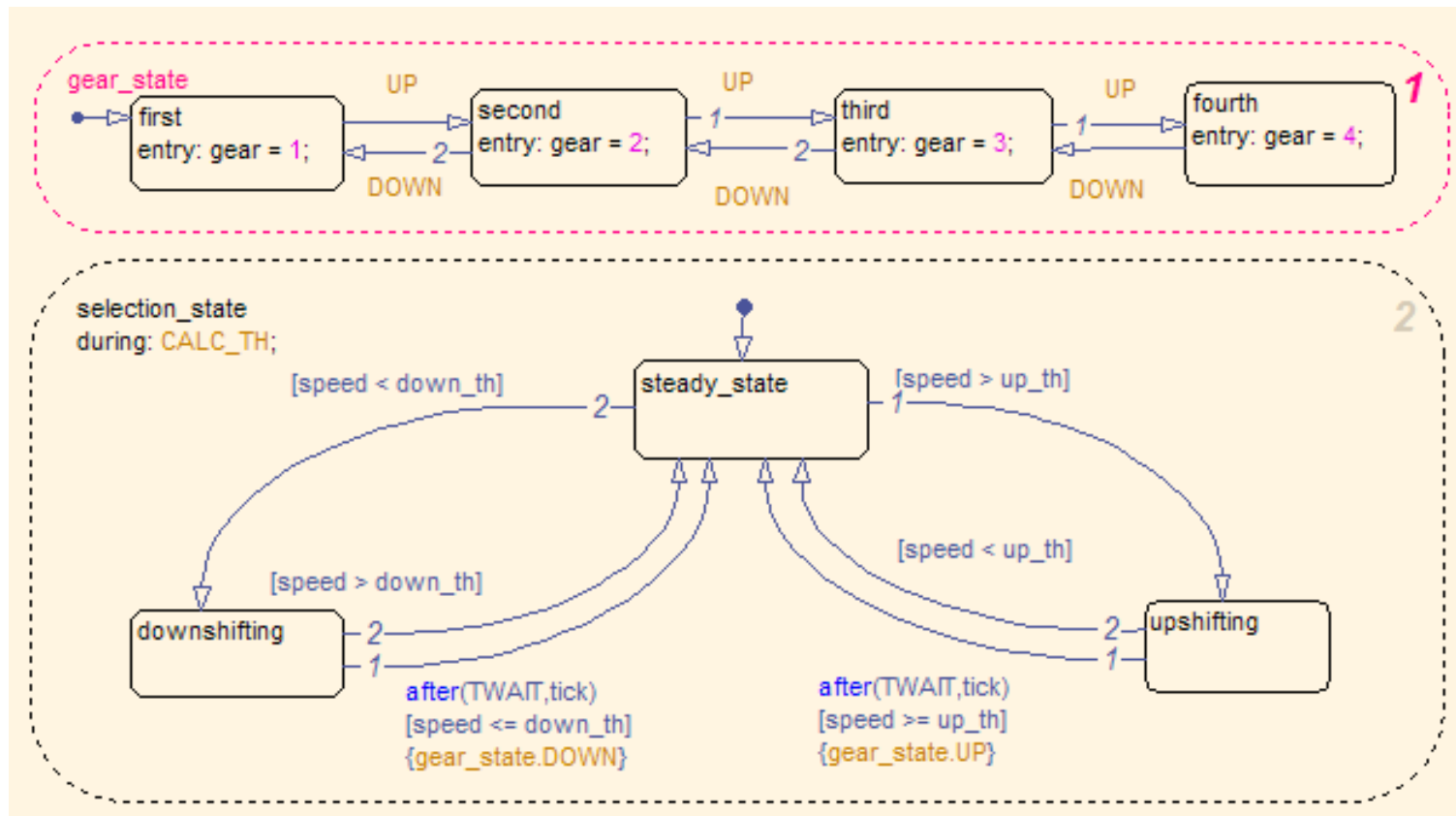


- ◎ Translation validation approach
 - Calculate the semantics of the model as a set of inference-trees
 - Generate a verification condition (pre/post pair) from each inference tree
 - Verify these (pre/post) pairs on the program
 - Push-button on every codegen run
- ◎ Issues
 - What happens if translation-validation fails?
 - Assumes semantics is finite
 - Assumes that semantics is known!
 - Program verification can prove pre/post pairs
 - Assumes a business need for all this extra effort
 - Simulink/Stateflow – a sweet-spot



Translation Validation of Stateflow





- Around 40 verification conditions
- Verified on generated c-code using cbmc